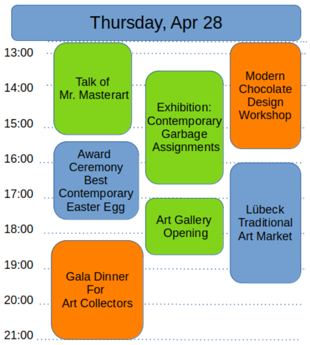
Event Hopping (events)

What a strange coincidence! After having determined the most valuable contemporary art collection, you noticed that it is apparently located somewhere near Lübeck. Since you don't know its exact location, you want to gather more information. Luckily, on the day you arrive for this year's BOI, the local art community hosts N events about contemporary art. This seems to be just the opportunity you were waiting for.

To plan your visit of these events, you numbered them from 1 to N with the i-th event starting at time S_i and ending at time E_i. You want to start your visit by attending some event s and finish your visit at some event e. As long as you are not attending event e, you will always attend your current event until the end* and then immediately switch to a different event that is currently running. This means that you can switch from event i to event j if and only if $S_j \le E_i \le E_j$.


Thursday, Apr 28
13:00
14:00
15:00
16:00
17:00
18:00
19:00
20:00
21:00
Talk of Mr. Masterart
Exhibition: Contemporary Garbage Assignments
Modern Chocolate Design Workshop
Award Ceremony Best Contemporary Easter Egg
Art Gallery Opening
Lübeck Traditional Art Market
Gala Dinner For Art Collectors

Obviously, switching events too frequently would make you look suspicious. Thus, you want to determine the minimum number of event switches necessary if you start at event s and finish at e. Moreover, since you do not yet know when you will arrive in Lübeck and when you will have to leave for the BOI registration in the evening, you want to determine this for Q different pairs of starting and ending events s and e.

Input

The first line of input contains two integers, the number of events N and the number of pairs of events Q for which you want to determine the minimum number of event switches.

Then, N lines follow describing the events. The i-th of these lines contains two integers S_i and E_i, the starting and ending time of event i.

Then, Q lines follow describing the queries. The i-th of these lines contains two integers s_i and e_i, meaning that you want to determine the minimum number of event switches necessary if you want to start at event s_i and end your visit at event e_i.

Output

Your program should output Q lines. The i-th of these lines should consist of an integer, the minimum number of event switches necessary if you start at event s_i and end your visit at event e_i, or the string `impossible` if there is no way to achieve this.

Constraints

We always have $1 \le N, Q \le 100\,000$, $1 \le S_i < E_i \le 10^9$, and $1 \le s_i, e_i \le N$.

Subtask 1 (10 points). For every event, you can switch to at most one other event.

Subtask 2 (10 points). $N \le 1\,000$ and $Q \le 100$

Subtask 3 (15 points). $N \le 5\,000$

* It would be rude to leave earlier—though nobody will complain about you being late as you are obviously an important and busy art critic.

Subtask 4 (15 points). $Q \leq 100$

Subtask 5 (20 points). No event is completely contained in another event, i.e. there are no two events $i \neq j$ with $S_i \leq S_j < E_j \leq E_i$.

Subtask 6 (30 points). No further constraints.

Examples

Input	Output

5 2
1 3
2 4
4 7
7 9
3 7
1 4
3 2
	2
	impossible

8 5
1 2
3 4
1 5
6 7
5 10
10 20
15 20
999999999 1000000000
1 6
1 7
2 4
3 3
5 8
	3
	4
	impossible
	0
	impossible

In the first example, it is possible to start at event 1 and end at event 4 by switching from event 1 to event 5 and then to event 4, resulting in two event switches. However, there is no way to start at event 3 and end at event 2 because event 2 ends before event 3.

Limits

Time: 1 s
Memory: 512 MiB